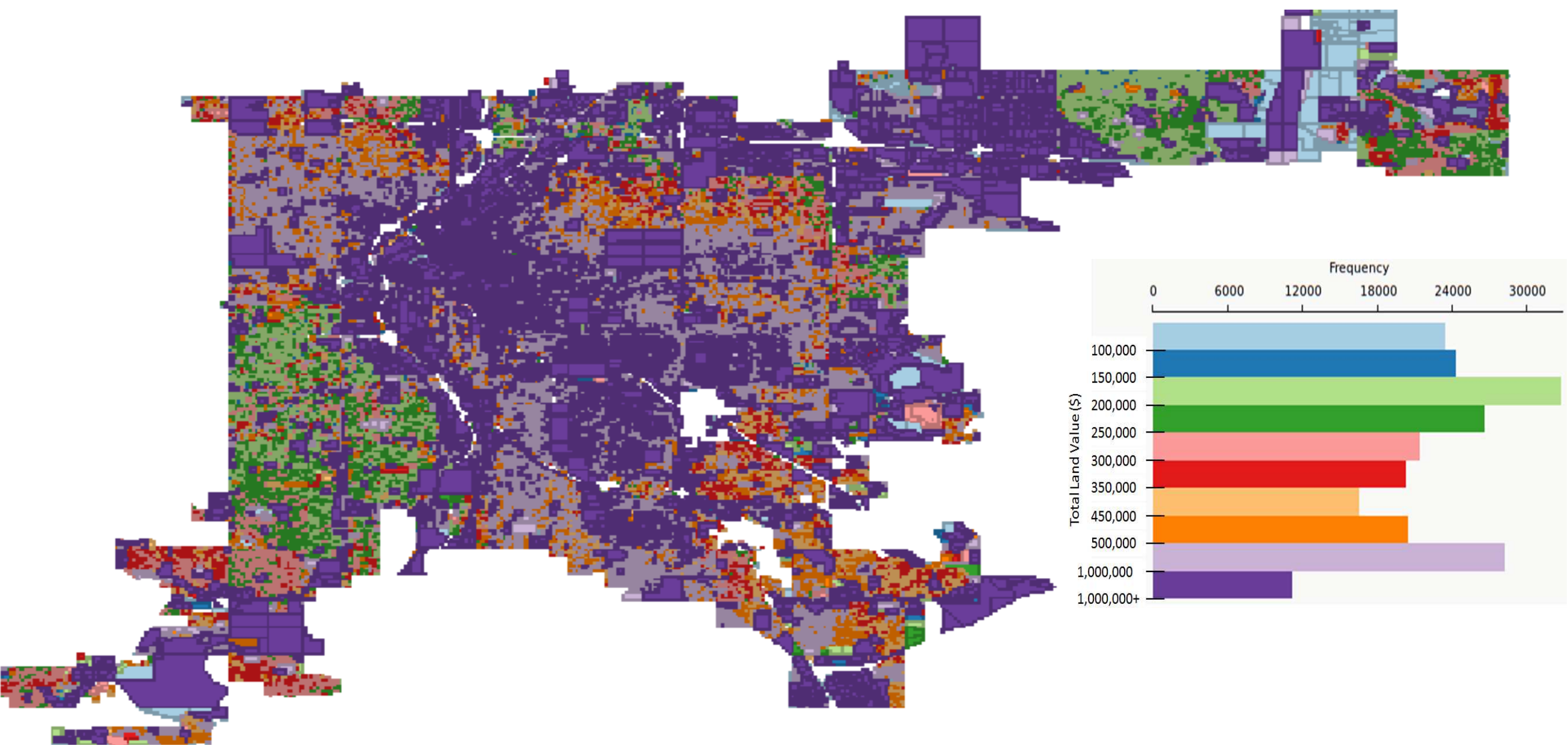
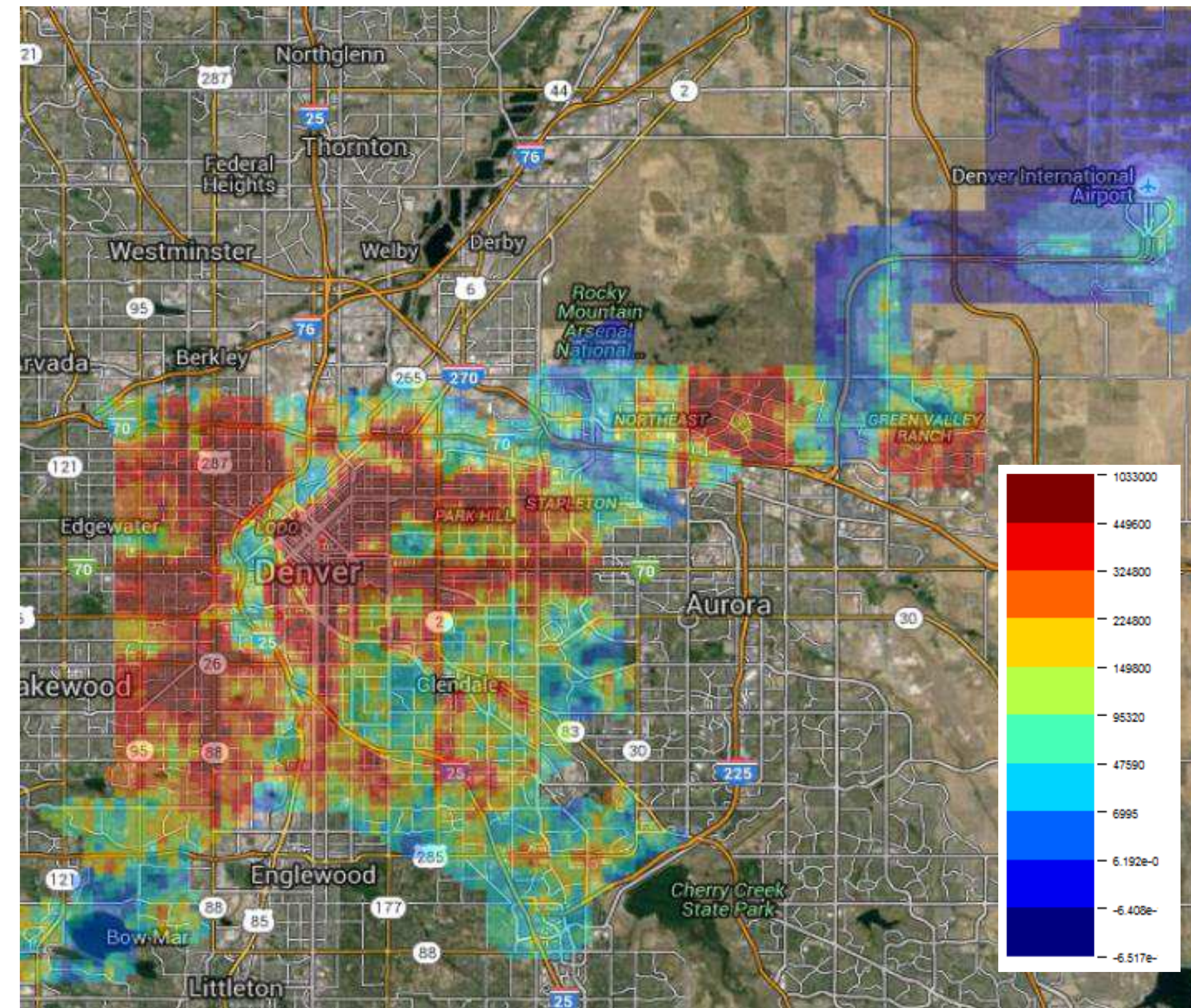


Objectives

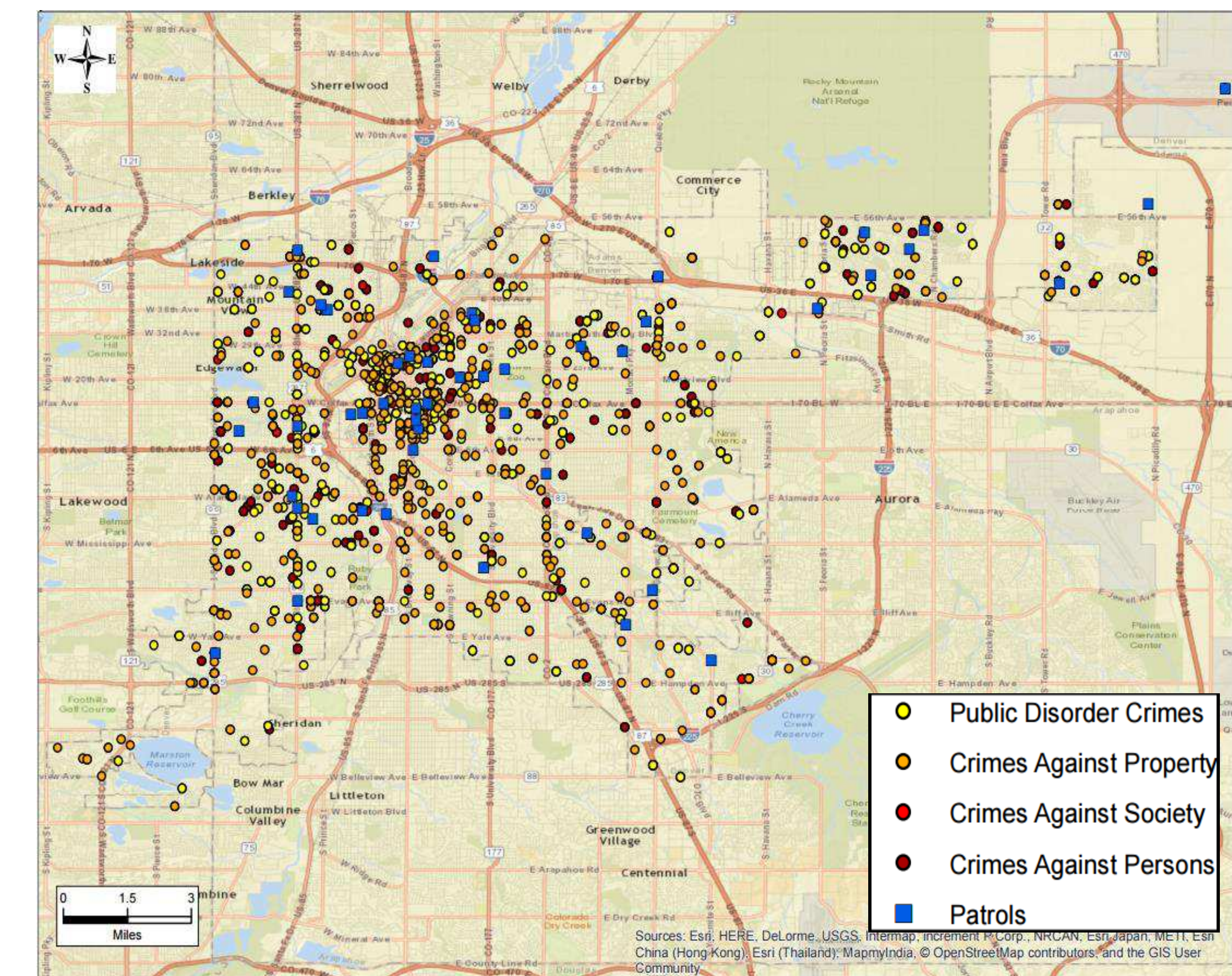
- Explain and predict crimes in hotspot areas using **Social Control Theory** (*Buy-in concept*).
- Measure Spatial dissonance between the two process: where are crimes happening frequently, but street checks are not.



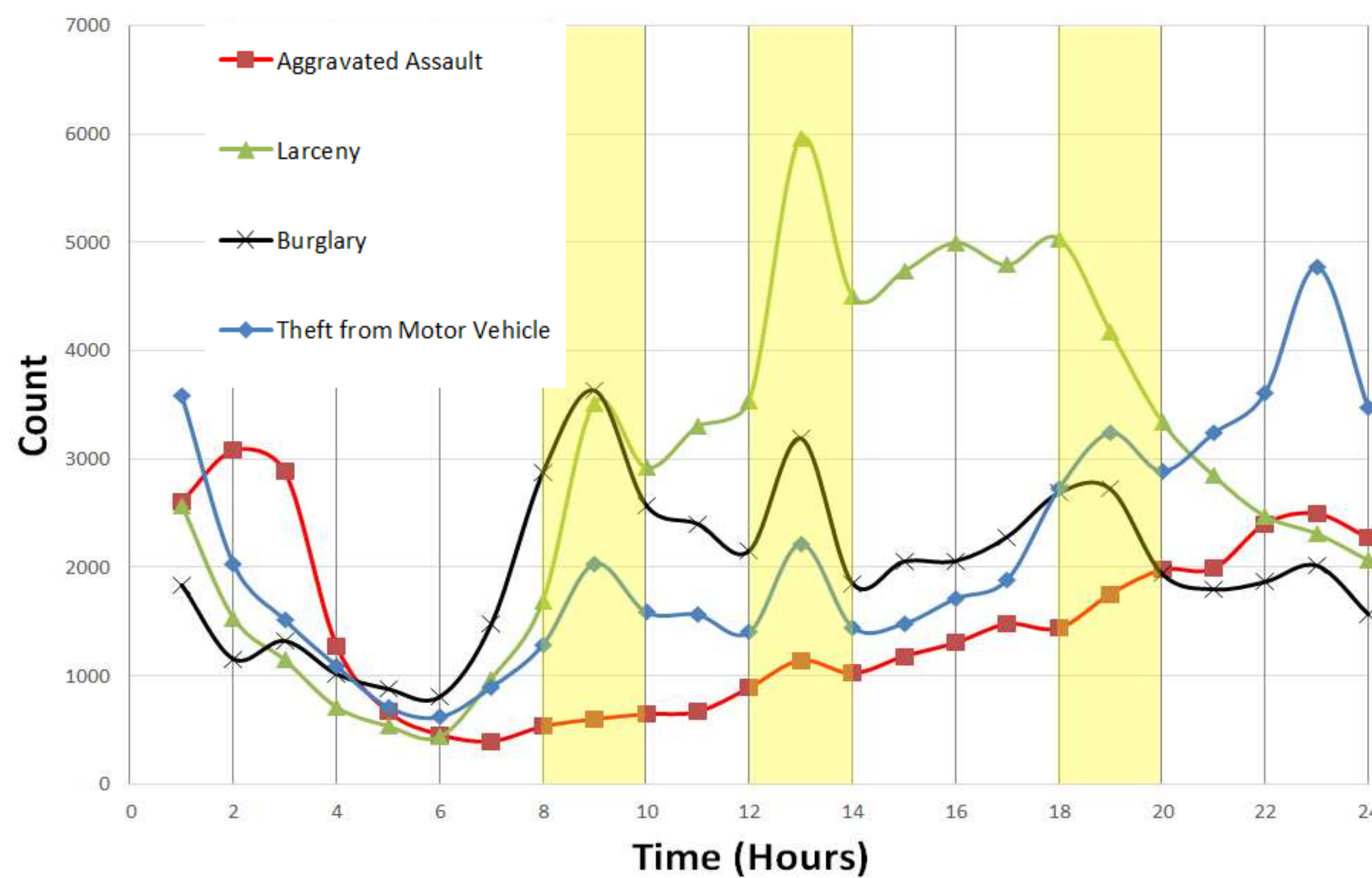
Total Land Values Across Denver Area



2011 Simple and Aggravated Spatial Crime Distribution



Patrol Route Optimization



Theft and Assault Time Analysis (2010 – 2015)

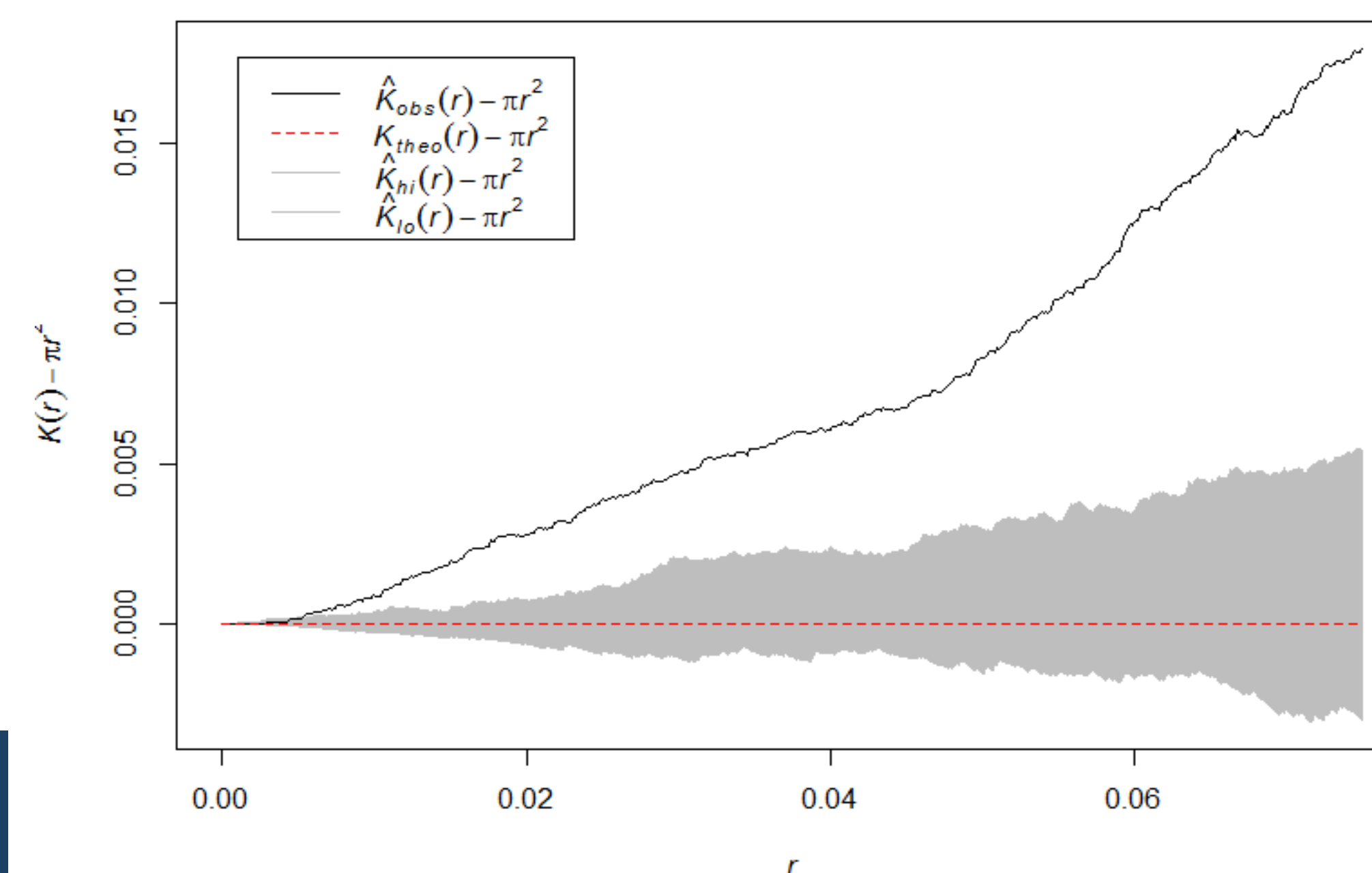
Crime Category	Total	Weekday	Weekend	Weekend/Total
Burglary	48,178	36,911	11,267	23.39%
Larceny	70,126	51,657	18,469	26.34%
Theft from Motor Vehicle	51,016	36,593	14,423	28.27%
Simple Assault	49,266	32,719	16,547	33.59%
Aggravated Assault	35,192	20,590	14,602	41.49%

Statistical Methodology

- In order to identify hotspots where the Policing Pill Model can be implemented, we take a probabilistic approach
- Statistically, crimes are an example of events in a spatial point process, generated by a Poisson Distribution

$$\lambda(s) = \lim_{|ds| \rightarrow 0} \frac{\mathbb{E}[N(ds)]}{|ds|} \approx \hat{\lambda}(s) = \sum_{x \in N \cap D} \frac{k[(x-s)/h]}{c(s)} \quad \tilde{f}_D = \left| \frac{\hat{\lambda}_{GO}}{\int \hat{\lambda} ds} - \frac{\hat{\lambda}_{SC}}{\int \hat{\lambda} ds} \right|$$

Simulated K-function (n=100)



Optimization Model

- Parameters:** Weight of crimes, Location of crimes
- Variables:** Location of each patrol
- Objective:** Minimize total distance between patrols and crimes in surrounding areas
- Constraints:**
 - Crimes evenly distributed between patrols
 - At least one patrol serves each crime

Policing Pill Model

